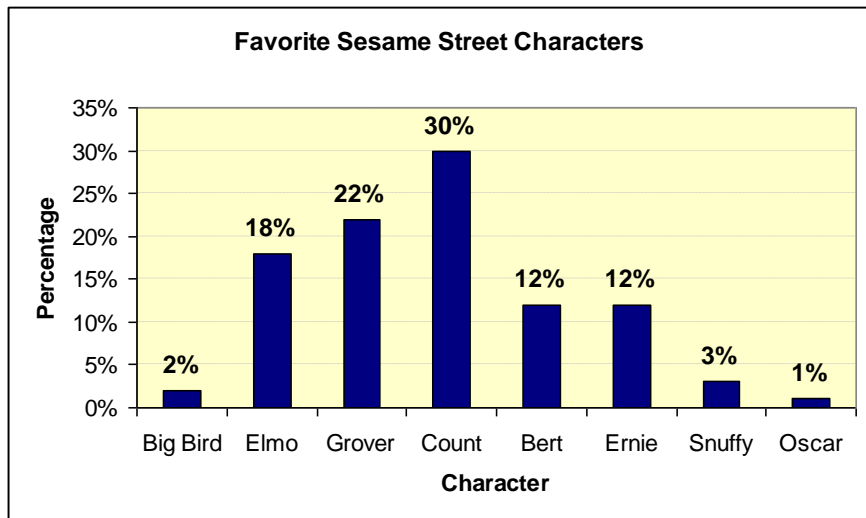


Section 1.2 (Basics of Functions and Their Graphs)

Within ordered pairs (any set of ordered pairs is also called a relation), the first components are called the **domain** (usually the x-coordinate) and the second components are called the **range** (the y-coordinate) of the relation.



Here, the correspondence between the character and their popularity is $\{(Bird,2), (Elmo,18), (Grover,22), (Count,30), (Bert,12), (Ernie,12), (Snuffy,3), (Oscar,1)\}$

The domain (1st values) is

The range (2nd values) is

A **function** is a relation in which each element in the domain corresponds to exactly 1 element of the range

Example: Determine if the following are functions

Domain	Range	
Bird Elmo Grover Count Bert Ernie Snuffy Oscar	2% 18% 22% 30% 12% 3% 1%	$\{(1,2), (3,4), (3,5), (4,6)\} \{(1,5), (2,5), (3,5)\}$ Domain: Range:

Functions are usually given in terms of equations rather than as sets of ordered pairs. For y to be a function of x , each value for x should correspond to only 1 value for y .

Example: Determine whether each equation defines y as a function of x (x is the **independent variable** and can be assigned any value in the domain; y is the **dependent variable** because its value depends on x)

$$y = 3 - x^2$$

$$y = \sqrt{x+20}$$

$$x^2 + y^2 = 16$$

Functions are often listed as “ f of x ”, “ g of x ”, etc. and written as $f(x)$, $g(x)$, $h(x)$, etc. and represent the value of the given function evaluated at the number x .

Example: Consider the function $y = \text{“}f \text{ of } x\text{”} = f(x) = 2x^2 - x$. Evaluate $f(2)$, $f(x+1)$ and $f(-x)$.

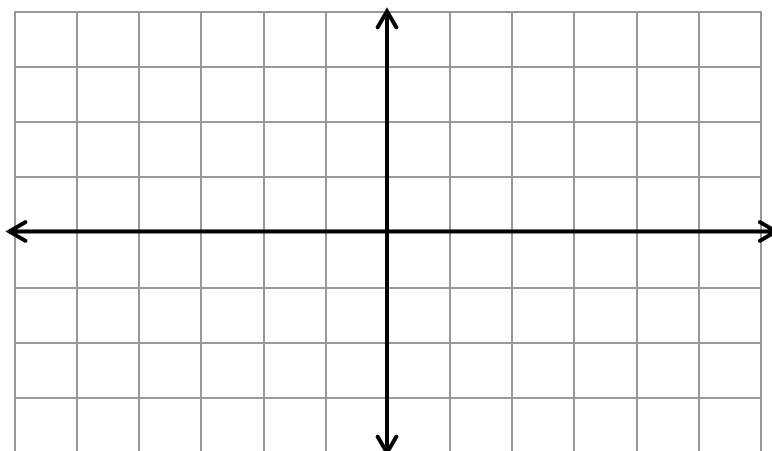
$$f(2) = 2(2)^2 - 2 = 6,$$

$$f(x+1) =$$

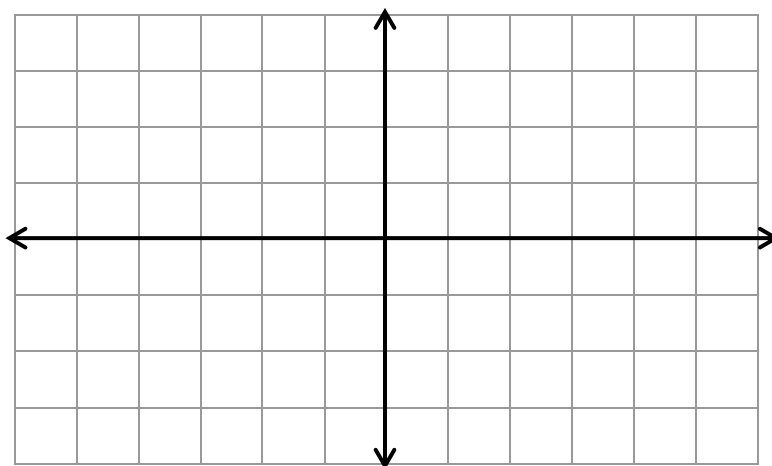
$$f(-x) =$$

The graph of a function is a graph of the ordered pairs that solve the function.

Example: Graph $f(x) = 2x + 1$, $g(x) = 2x$ and describe how they are related

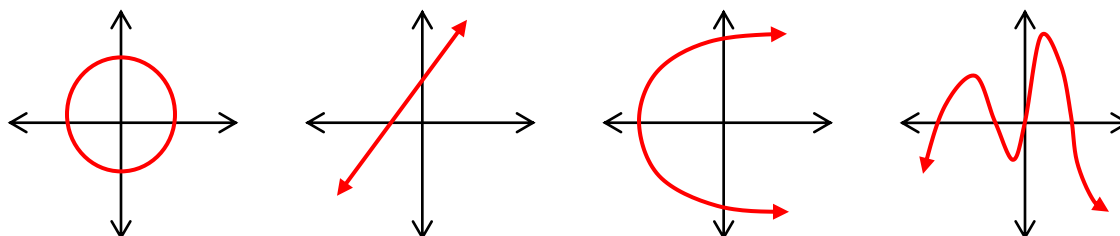


Example: Graph $g(x) = |x|$ and $h(x) = |x| - 3$ using $x = -3, -1, 0,$ and 2 then describe how they are related



The **vertical line test** can be used to determine if a graph denotes y as a function of x . If any vertical line intersects the graph in more than 1 point, the graph does not define y as a function of x .

Example: Determine if the following graphs have y as a function of x



Example: Find $h(-2)$ in the above example and find the value of x for which $h(x) = -3$

Examples: If $f(x) = x^2$ and $g(x) = 2x + 1$, find $g(3)$ and $f(g(3))$

Example: Online HW Examples (domain, range, etc.)